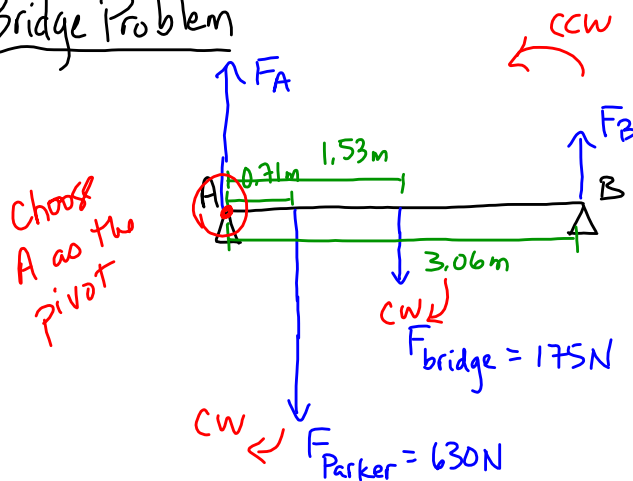


A Bridge Problem



Two conditions for Static Equilibrium:

- ① $\vec{F}_{net} = 0$ (no translational movement)
- ② $\vec{\tau}_{net} = 0$ (no rotational movement)

The net torque must equal to zero:

$$\sum \tau_{ccw} = \sum \tau_{cw}$$

Recall

$$\tau = r_{\perp} F$$

or $\tau = r F \sin \theta$

$$\tau_B = \tau_{Parker} + \tau_{bridge}$$

$$(3.06m) F_B = (0.71m)(630N) + (1.53m)(175N)$$

$$(3.06m) F_B = 447.3N \cdot m + 267.75N \cdot m$$

$$F_B = \frac{715.05N \cdot m}{3.06m}$$

$$F_B = 234N \quad 245N$$

So now since $\vec{F}_{net} = 0$, all the upland forces must balance with all the downward forces:

$$F_A + F_B = F_{Parker} + F_{bridge}$$

$$F_A + 234N = 630N + 175N$$

$$F_A = 571N \quad 560N$$